





- One tuning fork vibrates at 440 Hz
- A second tuning fork vibrates with unknown frequency
- With both forks sounded, you hear a tone with an amplitude that changes with frequency of 3 Hz
- What is the frequency of the second tuning fork?









• Change in perceived frequency due to relative motion of a source (S) and listener (L)

- Case 1: Source at rest, Listener moving $f_{\rm L} = (1 + v_{\rm L}/v) \times f_{\rm S}$
- Case 2: Source and Listener moving

$$f_{\rm L} = \frac{v + v_{\rm L}}{v + v_{\rm S}} f_{\rm S}$$

• Pay attention to sign of v_L, v_S ! (*positive from L to S*)

• For light waves $f_{\rm L} = \sqrt{[(c-v)/(c+v)]} \times f_{\rm S}$ $c = 3.0 \times 10^8 \,{\rm ms}^{-1}$





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Read §16.8-16.9